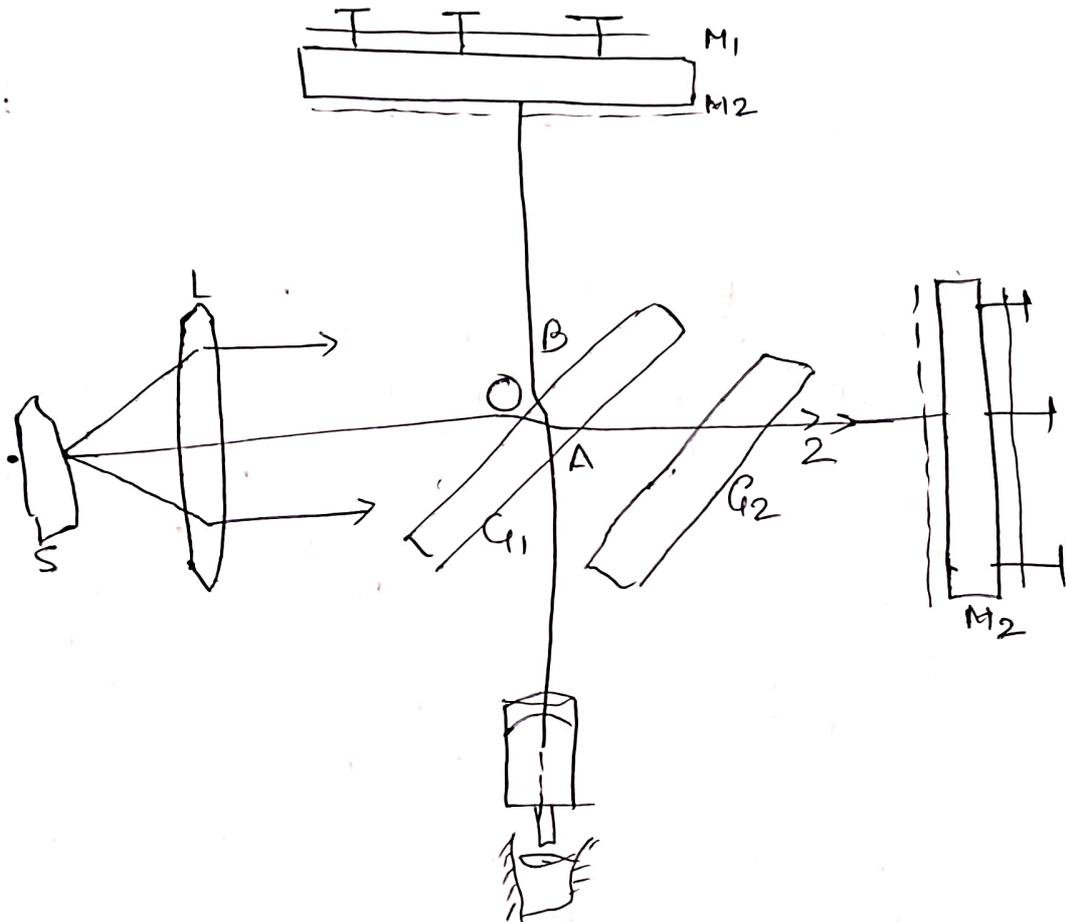
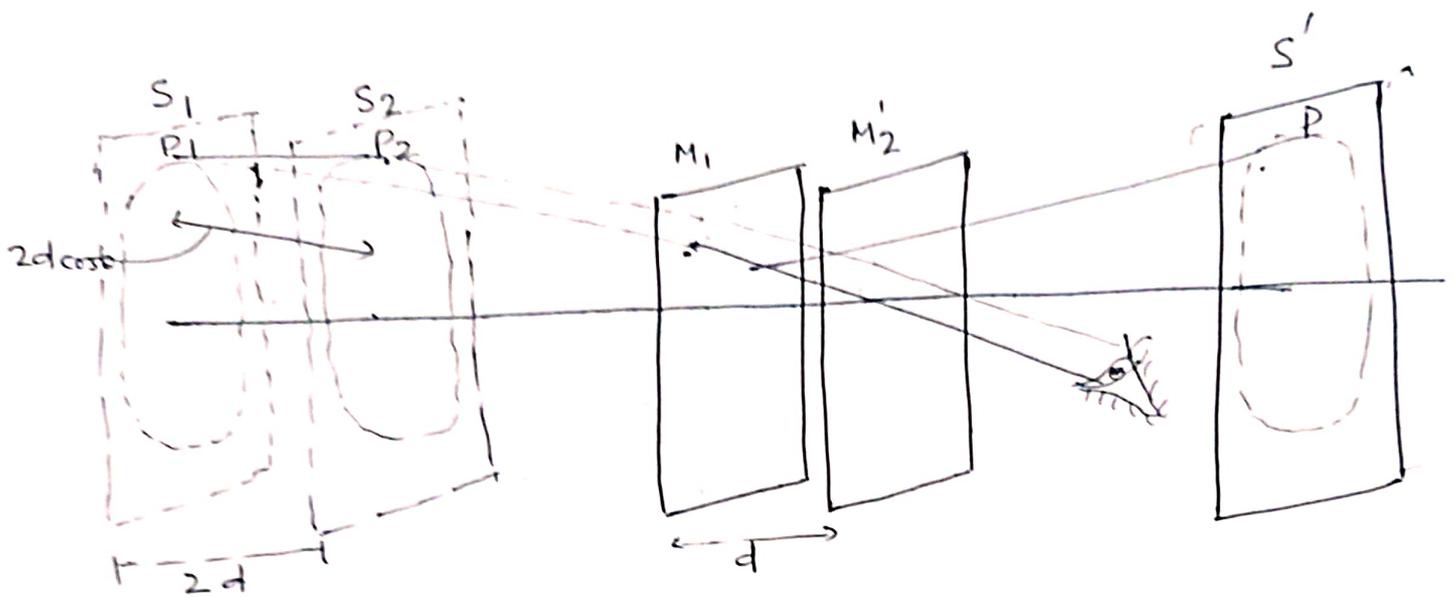


TITLE :- Michelson's Interferometer can be used to obtain circular fringe.



When  $M_2$  is exactly perpendicular to  $M_1$ , the film  $M_1M_2$  of uniform thickness, and we obtain circular fringes localised at infinity, as explained below:

In the figure  $M_1$  and  $M_2$  are the parallel reflecting surfaces. The actual source has been placed by its virtual image  $S'$  formed by reflection in the partially-silvered surface.  $S'$  forms two virtual images  $S_1$  and  $S_2$  in  $M_1$  and  $M_2$ . The light from a such as  $P$  on the extended source to the eye



to come from the corresponding coherent points  $P_1$  and  $P_2$  on  $S_1$  and  $S_2$ . If  $d$  is the separation between  $M_1$  and  $M_2$ , the  $2d$  is the separation between the virtual sources  $S_1$  and  $S_2$ . Therefore, the path difference between the two parallel rays coming from the corresponding points  $P_1$  and  $P_2$  at the eye is equal to  $2d \cos \theta$ . When the telescope is focussed to receive parallel rays, the rays will reinforce each other to produce maxima for those angles  $\theta$  which satisfy the relation.

$$2d \cos \theta = n\lambda$$

Now, for a given  $n, \lambda$  and  $d$  angle  $\theta$  is constant and the locus of point on the source which subtend the same angle  $\theta$  at the axis is a circle passing through  $P$  with its centre on the axis. Hence the fringes are concentric circle and are called the fringes of constant inclination. They are situated at infinity. The order of the fringes decreases as  $\theta$  increase.

Now the mirror  $M$  is moved so that  $d$  is decrease steadily, then in view of the relation  $2d \cos \theta = n\lambda$   $\theta$  decrease more and more steadily, then, in view of the relation  $2d \cos \theta = n\lambda$ , the central fringe spread out to cover the entire field of view which becomes uniform in intensity.